Year 12

| Subject Name: | Mathematics |
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| Key Stage 5 (A Level Mathematics) |  |
| Curriculum Intent Statement |  |
| Our curriculum will encourage pupils to be efficient, resilient problems solvers, able to <br> apply their mathematical skills to any real life context they encounter after leaving the <br> academy. <br> Through learning mathematics, our pupils will develop the logical thinking skills to break <br> problems in a wide range of contexts into manageable steps. <br> Pupils will embrace the interconnected nature of the concepts within mathematics and <br> how mathematics can be applied to contexts within everyday life, academia and careers. <br> Their mathematical skills and knowledge will open doors for our pupils to select <br> whichever future path they choose. |  |

## Autumn Term 1

## Algebra and functions

- Algebraic expressions - basic algebraic manipulation, indices and surds
- Quadratic functions - factorising, solving, graphs and the discriminants
- Equations - quadratic/linear simultaneous
- Inequalities - linear and quadratic (including graphical solutions)
- Graphs - cubic, quartic and reciprocal
- Transformations - transforming graphs - $f(x)$ notation


## Coordinate geometry in the ( $x, y$ ) plane

- Straight-line graphs, parallel/perpendicular, length and area problems
- Circles - equation of a circle, geometric problems on a grid


## Further algebra

- Algebraic division, factor theorem and proof
- The binomial expansion


## Autumn Term 2

## Trigonometry

- Trigonometric ratios and graphs
- Trigonometric identities and equations


## Vectors (2D)

- Definitions, magnitude/direction, addition and scalar multiplication
- Position vectors, distance between two points, geometric problems


## Spring Term 1

## Differentiation

- Definition, differentiating polynomials, second derivatives
- Gradients, tangents, normals, maxima and minima


## Integration

- Definition as opposite of differentiation, indefinite integrals of $x n$
- Definite integrals and areas under curves


## Exponentials and logarithms

- Exponential functions and natural logarithms


## Statistical sampling

- Introduction to sampling terminology; Advantages and disadvantages of sampling
- Understand and use sampling techniques; Compare sampling techniques in context


## Quantities and units in mechanics

- Introduction to mathematical modelling and standard S.I. units of length, time and mass Definitions of force, velocity, speed, acceleration and weight and displacement; Vector and scalar quantities


## Spring Term 2

Data presentation and interpretation

- Calculation and interpretation of measures of location; Calculation and interpretation of measures of variation; Understand and use coding
- Interpret diagrams for single-variable data; Interpret scatter diagrams and regression lines; Recognise and interpret outliers; Draw simple conclusions from statistical problems


## Probability:

- Mutually exclusive events; Independent events


## Statistical distributions:

- Use discrete distributions to model real-world situations; Identify the discrete uniform distribution; Calculate probabilities using the binomial distribution (calculator use expected)


## Statistical hypothesis testing

- Language of hypothesis testing; Significance levels
- Carry out hypothesis tests involving the binomial distribution


## Kinematics 1 (constant acceleration)

- Graphical representation of velocity, acceleration and displacement
- Motion in a straight line under constant acceleration; suvat formulae for constant acceleration; Vertical motion under gravity


## Forces \& Newton's laws

- Newton's first law, force diagrams, equilibrium, introduction to $i, j$ system Newton's second law, ' $F=$ ma', connected particles (no resolving forces or use of $F=\mu R$ ); Newton's third law: equilibrium, problems involving smooth pulleys


## Summer Term 1

## Kinematics 2 (variable acceleration)

- Variable force; Calculus to determine rates of change for kinematics
- Use of integration for kinematics problems i.e. $r=\int v \mathrm{~d} t, v=\int a \mathrm{~d} t$ Revision


## Summer Term 2

## Exams and Revision

## Year 13

## Subject Name: Mathematics

## Key Stage 5 (A Level)

## Curriculum Intent Statement

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## Autumn Term 1

Proof: Examples including proof by deduction* and proof by contradiction

## Algebraic and partial fractions

- Simplifying algebraic fractions
- Partial fractions


## Functions and modelling

- Modulus function
- Composite and inverse functions
- Transformations
- Modelling with functions*


## Regression and correlation

- Change of variable
- Correlation coefficients
- Statistical hypothesis testing for zero correlation


## Series and sequences

- Arithmetic and geometric progressions (proofs of 'sum formulae') Sigma notation
- Recurrence and iterations


## The binomial theorem

- _Expanding $(a+b x) n$ for rational $n$; knowledge of range of validity Expansion of functions by first using partial fractions


## Autumn Term 2

## Trigonometry

- Radians (exact values), arcs and sectors
- Small angles
- Secant, cosecant and cotangent (definitions, identities and graphs);
- Inverse trigonometrical functions; Inverse trigonometrical functions
- Compound* and double (and half) angle formulae
- *geometric proofs expected
- $R \cos (x \pm \alpha)$ or $R \sin (x \pm \alpha)$
- Proving trigonometric identities
- Solving problems in context (e.g. mechanics)


## Parametric equations

- Definition and converting between parametric and Cartesian forms
- Curve sketching and modelling


## Differentiation

- Differentiating $\sin x$ and $\cos x$ from first principles
- Differentiating exponentials and logarithms
- Differentiating products, quotients, implicit and parametric functions.
- Second derivatives (rates of change of gradient, inflections)
- Rates of change problems* (including growth and kinematics)
- Differential equations


## Probability

- Using set notation for probability
- Conditional probability
- Questioning assumptions in probability


## The Normal distribution

- Understand and use the Normal distribution
- Use the Normal distribution as an approximation to the binomial distribution
- Selecting the appropriate distribution
- Statistical hypothesis testing for the mean of the Normal distribution


## Spring Term 1

## Numerical methods

- Location of roots
- Solving by iterative methods (knowledge of 'staircase and cobweb' diagrams)
- Newton-Raphson method
- Problem solving


## Integration (part 1)

- Integrating xn (including when $\mathrm{n}=-1$ ), exponentials and trigonometric functions.
- Integrating functions defined parametrically.
- Using the reverse of differentiation, and using trigonometric identities to manipulate integrals


## Statistics Revision

## Spring Term 2

## Integration (part 2)

- Integration by substitution
- Integration by parts
- Use of partial fractions
- Areas under graphs or between two curves, including understanding the area is the limit of a sum (using sigma notation).
- Areas under curves expressed parametrically
- The trapezium rule
- Differential equations (including knowledge of the family of solution curves)


## Vectors (3D)

- Use of vectors in three dimensions; knowledge of column vectors and $\mathrm{i}, \mathrm{j}$ and k unit vectors


## Moments

- Forces' turning effect


## Forces at any angle

- Resolving forces
- Friction forces (including coefficient of friction $\mu$ )


## Applications of kinematics

- Projectiles


## Applications of forces

- Equilibrium and statics of a particle (including ladder problems)
- Dynamics of a particle


## Further kinematics

- Constant acceleration (equations of motion in 2D; the $\mathrm{i}, \mathrm{j}$ system)
- Variable acceleration (use of calculus and finding vectors $r$ 'and $r$ "at a given time)


## Summer Term 1

Revision

## Summer Term 2

## Revision and Exams

